NSI and neutrino signal from dark matter annihilations in the Sun

Quarks-2014: Suzdal, Russia, 2-8 June, 2014

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Outline

Introduction: neutrinos from DM annihilations in the Sun, what signal can be expected, which processes are involved

- II Non-Standard Interactions (NSI) of neutrinos and bounds
- III Propagation of neutrinos from the Sun to the Earth: how NSI could affect it, numerical simulations
- IV Influence of NSI on upper limit on muon neutrino flux
 - V Conclusions

Signal from DM annihilations in the Sun

Capture of dark matter in the Sun

> Leptons are registered at NTs

 e, μ, τ

if $\chi \chi \rightarrow SM$ particles \rightarrow neutrinos!

- DM particles scatter off nuclei in the Sun
- \blacktriangleright DM can become gravitationally trapped ($m_{DM}\gtrsim 5$ GeV)

 ν_e, ν_μ, ν_τ

- Accumulation and annihilation of DM in the center of the Sun
- Neutrino flux should be observed from the direction towards the Sun
- IceCube, SuperKamiokande, ANTARES, BUST (Baksan) and BDUNT (Baikal)

Neutrino signal from DM annihilations in the Sun

- \blacktriangleright DM scattering on nucleons (σ^{SD} and $\sigma^{SI})$
- ► DM space distribution in the Sun: $n(r) = n_0 \exp(-r^2/R_{DM}^2)$, where $R_{DM} \sim 0.01 R_{Sun} \sqrt{100 \ GeV/m_{DM}}$
- ► Energy distribution and flavour composition at production depend on annihilation channel. Benchmark channels: $b\bar{b}$, W^+W^- , $\tau^+\tau^-$, $\nu\bar{\nu}$
- Expected muon neutrino fluxes from dark matter annihilation in the Sun

$$\Phi_{\nu_{\mu}} = \frac{\Gamma_{A}}{4\pi R^{2}} \times \sum_{\nu_{j}, \bar{\nu_{j}}} \int_{E_{th}}^{m_{DM}} dE_{\nu_{j}} P_{\nu_{\mu}}(E_{\nu_{j}}, E_{th}) \frac{dN_{\nu_{j}}^{\text{prod}}}{dE_{\nu_{j}}}$$

 $P_{\nu_{\mu}}(E_{\nu_{j}}, E_{th})$ - probability to obtain muon neutrino at the detector level: depends on neutrino interactions (NC and CC) and oscillations in vacuum and in the media of the Sun and Earth

Neutrino signal from DM annihilations: interactions and oscillations

NC, CC interactions, ν_{τ} regeneration

Survival probability (at the same E_{ν})

Ratio of muon fluxes



Changes of neutrino interactions due to New Physics could affect the neutrino signal from DM annihilations!

Non-Standard Interactions of neutrino

Effective four-fermion SM lagrangian ($Q \ll m_W$)

$$egin{aligned} \mathcal{L}_{eff} &= \left[-2\sqrt{2} \mathcal{G}_{F}(ar{
u}_{eta}\gamma^{\mu}\mathcal{P}_{L}l_{eta})(ar{f}\gamma^{\mu}\mathcal{P}_{L}f') + h.c.
ight] \ &-2\sqrt{2} \mathcal{G}_{F}\sum_{\mathcal{P}=\mathcal{P}_{L},\mathcal{P}_{R}}g_{\mathcal{P}}^{eta}(ar{
u}_{eta}\gamma^{\mu}\mathcal{P}_{L}
u_{eta})(ar{f}\gamma_{\mu}\mathcal{P}f) \end{aligned}$$

Non-standard neutral current neutrino interactions (conserve electric charge and color) can result from the SM extensions

$$\mathcal{L}_{eff}^{NSI} = -\sum_{P=P_L,P_R} \epsilon_{lphaeta}^{fP} 2\sqrt{2} G_F(ar{
u}_{lpha}\gamma^{\mu}P_L
u_{eta})(ar{f}\gamma_{\mu}Pf)$$

One of the consequences – modification of matter effects in neutrino oscillations

Matter NSI

$$\hat{H} = \frac{1}{2E} U \operatorname{diag}(m_1^2, m_2^2, m_3^2) U^{\dagger} + \operatorname{diag}(V_e, 0, 0) + V_e \epsilon^m,$$

$$\epsilon^m = \begin{pmatrix} \epsilon_{ee} & \epsilon_{e\mu} & \epsilon_{e\tau} \\ & \epsilon_{\mu\mu} & \epsilon_{\mu\tau} \\ & & \epsilon_{\tau\tau} \end{pmatrix}, \quad \epsilon_{\alpha\beta} = \sum_{f, P = P_L, P_R} \epsilon_{\alpha\beta}^{fP} \frac{N_f}{N_e}, \quad V_e = \pm \sqrt{2} G_F N_e$$

The values of ϵ -s depend on the matter content (Sun, Earth, ...) Biggio, Blennow, Fernandez-Martinez (2009), Ohlsson (2013)

Recently, Esmali & Smirnov 2013 (IceCube, atmospheric neutrinos)

 $|\epsilon_{\mu au}| \lesssim 0.018, ~~|\epsilon_{\mu\mu}-\epsilon_{ au au}| \lesssim 0.09 ~(90\%$ CL)

Standard picture of the oscillations of WIMP neutrinos

- Let us neglect neutrino interactions
- ► At production: $\rho_{\nu}(0) = \sum_{\alpha} w_{\alpha} |\alpha\rangle \langle \alpha| = w_{e} |\nu_{e}\rangle \langle \nu_{e}| + w_{\mu} |\nu_{\mu}\rangle \langle \nu_{\mu}| + w_{\tau} |\nu_{\tau}\rangle \langle \nu_{\tau}|$ $i \frac{d}{dx} \nu_{f} = \begin{bmatrix} 2\Delta_{31} U \begin{pmatrix} 0 \\ \alpha \\ 1 \end{pmatrix} U^{\dagger} + \begin{pmatrix} V_{e}(r) \\ 0 \end{pmatrix} \end{bmatrix} \nu_{f},$ where $\Delta_{ij} = \frac{\delta m_{ij}^{2}}{4E}$, $\alpha = \frac{\Delta_{21}}{\Delta_{31}}$

In the center of the Sun:

 $|1,r=0
angle=|
u_{e}>; |2,r=0
angle, |3,r=0
anglepproxrac{1}{\sqrt{2}}(|
u_{\mu}
angle\pm|
u_{ au}
angle)$

► Instantaneous eigenstates: $H_m(r)|m,r\rangle = E_m(r)|m,r\rangle$

$$|lpha
angle = \sum_{k} (U_m)_{lpha k} (r=0) |k, r=0
angle$$

 $ho_{
u}(0) = \sum_{\alpha} w_{\alpha}(U_m^*)_{\alpha k}(U_m)_{\alpha l} | l, r = 0 \rangle \langle k, r = 0 |$

WIMP Neutrinos in the Sun

In the adiabatic regime: $|\psi_m(r)
angle$ – evolution states.

 $\rho_{\nu}(r) = \sum_{\alpha} w_{\alpha}(U_m^*)_{\alpha k}(U_m)_{\alpha l} |l, r\rangle \langle k, r| \mathrm{e}^{-i\int_0^r dr(E_l(r) - E_k(r))}$

Phase factors are large - decoherence

$$ho_
u(r) pprox \sum_k (U_m^*)_{lpha k} (U_m)_{lpha k} |k,r
angle \langle k,r|$$

The probability to find a muon neutrino $\begin{aligned} &P_{\nu_{Sun} \rightarrow \nu_{\mu}} = \langle \mu | \rho(Earth) | \mu \rangle = \sum_{\alpha,i} w_{\alpha} |U_{\alpha i}^{m}|^{2} |U_{\mu i}|^{2} \\ &\text{Adiabaticity is violated in the Sun for } E \gtrsim 10-30 \text{ GeV near level} \\ &\text{crossing (MSW resonances)} \\ &P_{\nu_{Sun} \rightarrow \nu_{\mu}} = \langle \mu | \rho(Earth) | \mu \rangle = \sum_{\alpha,i} w_{\alpha} |U_{\alpha i}^{m}|^{2} P_{j i} |U_{\mu j}|^{2}, \\ &\text{where } P_{j i} \text{ are probabilities of level crossing.} \\ &\text{Normal hierarchy: 1-3 and 1-2 resonances for neutrino} \\ &\text{Inverse hierarchy: 1-2 resonance in neutrino and 1-3 for} \end{aligned}$

Examples

0

Normal ν_e (up) and $\bar{\nu}_e$ (down)





E_v, GeV

Inverse ν_e (up) and $\bar{\nu}_e$ (down)



$$\begin{split} H_f &= 2\Delta_{31} U \begin{pmatrix} 0 \\ \alpha \\ 1 \end{pmatrix} U^{\dagger} + V_e \begin{pmatrix} 1 & 0 & \epsilon_{e\tau} \\ 0 & 0 & 0 \\ \epsilon_{e\tau} & 0 & \epsilon_{\tau\tau} \end{pmatrix} \\ \nu_f &= R_{13}(\tilde{\theta}_{\epsilon}) \tilde{\nu}, \quad \tan 2\tilde{\theta}_{\epsilon} &= -\frac{2\epsilon_{e\tau}}{1 - \epsilon_{\tau\tau}} \\ \tilde{H} &= 2\Delta_{31} \tilde{U} \begin{pmatrix} 0 \\ \alpha \\ 1 \end{pmatrix} \tilde{U}^{\dagger} + V_e \begin{pmatrix} 1 + \epsilon_{e\tau}^2 \\ 0 \\ \epsilon_{\tau\tau} - \epsilon_{e\tau}^2 \end{pmatrix}, \end{split}$$

where $\tilde{U} = R_{13}^{\dagger}(\tilde{ heta}_{\epsilon})U$

Center of the Sun: flavour states are mass states. For $\epsilon << 1$ the state $|e\rangle$ decouples

$$\tilde{H}_{23} = 2\Delta_{32}R_{23}(\tilde{\theta}_{23}) \begin{pmatrix} 0 & 0 \\ 0 & 1 \end{pmatrix} R_{23}^{\dagger}(\tilde{\theta}_{23}) + (\epsilon_{\tau\tau} - \epsilon_{e\tau}^2)V_e \begin{pmatrix} 0 & 0 \\ 0 & 1 \end{pmatrix}$$

Diagonalize it by $\tilde{
u}=R_{23}(heta_{23}')
u'$

$$\tan 2\theta_{23}' = \frac{2\Delta_{32}\sin 2\tilde{\theta}_{23}}{2\Delta_{32}\cos 2\tilde{\theta}_{23} + (\epsilon_{\tau\tau} - \epsilon_{e\tau}^2)V_e} \quad \text{New 2-3 resonanse!}$$

$$H_f = 2\Delta_{31}U \begin{pmatrix} 0 & \\ & \alpha & \\ & & 1 \end{pmatrix} U^{\dagger} + V_e \begin{pmatrix} 1 & 0 & 0 \\ 0 & 0 & \epsilon_{\mu\tau} \\ 0 & \epsilon_{\mu\tau} & \epsilon_{\tau\tau} \end{pmatrix}$$

Matter term can be diagonalized by $\nu_f = R_{23}(\tilde{\theta}_{23})\tilde{\nu}$, where $\tan 2\tilde{\theta}_{23} = \frac{2\epsilon_{\mu\tau}}{\epsilon_{\tau\tau}}$ At $\epsilon \ll 1$ the state $|\nu_e\rangle$ decouples in the center of the Sun

$$\tilde{H}_{32} = 2\Delta_{32}R_{23}(\theta_{23} - \tilde{\theta}_{23}) \begin{pmatrix} 0 & 0 \\ 0 & 1 \end{pmatrix} R^{\dagger}(\theta_{23} - \tilde{\theta}_{23}) + V_e \sqrt{4\epsilon_{\mu\tau}^2 + \epsilon_{\tau\tau}} \begin{pmatrix} 0 & 0 \\ 0 & 1 \end{pmatrix}$$

Diagonalized by $\tilde{\nu} = R_{23}(\theta_{23}^m)\nu^m$

$$an 2 heta_{23}^m = rac{2\Delta_{32}\sin 2(heta_{23}- ilde{ heta}_{23})}{2\Delta_{32}\cos 2(heta_{23}- ilde{ heta}_{23})+V_{ heta}}$$

Examples: $\epsilon_{e\tau} = -0.1$

Normal ν_e (up) and $\bar{\nu}_e$ (down)



10

E_v, GeV

100

1000

0.2

0

1

Inverse ν_e (up) and $\bar{\nu}_e$ (down)



NSI and neutrino signal

Effect of the Earth: $\epsilon_{ au au} = 0.1$





Full signal simulation: overview

- ▶ We use our C program; compare results with WIMPsim
- Initial neutrino spectra at the center of the Sun: PYTHIA
- Annihilation point near the center of the Sun
- Neutrino oscillations, 3 × 3 scheme
- Matter effects: solar model, J.N.Bahcall, A.M.Serenelli, S.Basu (2005); earth PREM model.
- NC and CC interactions (including *τ*-mass effects) in the Sun and the Earth: change in neutrino fluxes and spectra
- ▶ ν_{τ} regeneration: $\nu_{\tau} \rightarrow \tau^{-} + ..., \tau^{-} \rightarrow \nu_{\tau}, \bar{\nu_{e}}, \bar{\nu_{\mu}} + ...$ secondary neutrinos

Comparison with WIMPsim: ν_{μ} spectra at 1 a.u.

For the same initial neutrino spectra



NSI and neutrino signal









Muon neutrino flux

• Expected limit on neutrino flux $\approx \frac{\bar{N}^{90}}{S_{eff}^{\nu} \times T}$

• Effective area
$$S_{eff}^{\nu} = \frac{\int_{E_{th}}^{m_{DM}} dE_{\nu} S(E_{\nu}, E_{th}) \frac{dN_{\nu}(E_{\nu})}{dE_{\nu}}}{\int_{E_{th}}^{m_{DM}} dE_{\nu} \frac{dN_{\nu}(E_{\nu})}{dE_{\nu}}}$$

 \blacktriangleright We use effective area for NT-200: $au^+ au^-$ and $bar{b}$ (normal)



NSI and neutrino signal

- Analysis of influence of NSI on neutrino signal from dark matter annihilations in the Sun has been performed
- It is shown that NSI can considerably change the propagation of WIMP neutrino
- We can expect 10-50% corrections to the upper limits on neutrino flux for bb̄, W⁺W[−] and τ⁺τ[−] annihilation channels due to NSI

Thank you!

- ▶ Neutrino oscillation parameters: $\lesssim 4-5\%$ for W^+W^- and $b\bar{b}$, $\lesssim 7-8\%$ for $\tau^+\tau^-$
- ▶ Neutrino nucleon cross section up to 10%, larger for $E_{\nu} < 10$ GeV but smaller for higher energies
- NSI can result in larger uncertainties!