

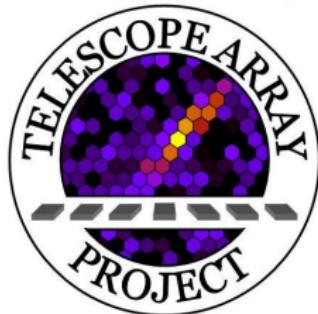
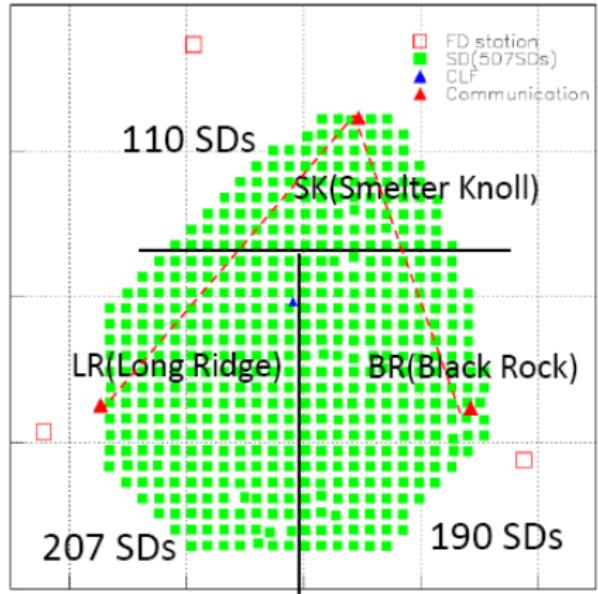
Search for ultra-high energy photons using Telescope Array surface detector

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Quarks'2010, Kolomna
June 9, 2010

Institute for Nuclear Research of the Russian Academy of Sciences

Telescope Array photon search

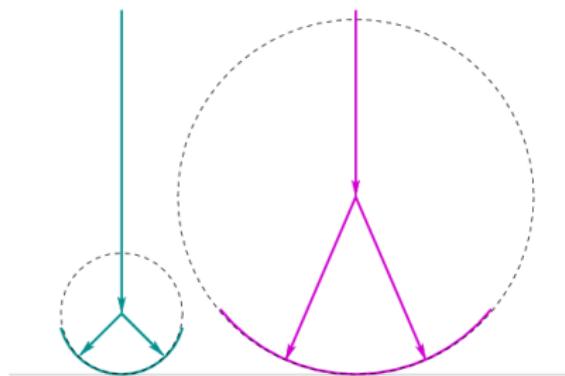


- ▶ 507 SD's, 3 m^2 each
- ▶ Event-by-event method
- ▶ Shower front curvature as an observable

We obtain limit on photon integral flux at $E > 10^{19} \text{ eV}$

Shower front curvature

deep shower maximum = curved front



- We use Linsley's shower front curvature parameter "a" as a composition sensitive parameter

Event reconstruction

- ▶ Joint fit of LDF and shower front profile
- ▶ 7-parameters:
 - ▶ x_{core} , y_{core} – shower core location at the ground level
 - ▶ θ , ϕ – zenith and azimuthal angles of primary arrival direction
 - ▶ S_{800} – normalization factor for LDF (corresponds to scintillation signal density at 800 meters)
 - ▶ t_0 – arrival time for the shower core
 - ▶ a – dimensionless Linsley's curvature parameter

$$t(r) = t_0 + t_{plane}(r) + a t_L(r)$$

$$t_L(r) = (r/39m)^{1.5} \text{LDF}(r, \theta)^{-0.5}$$

$$S(r) = S_{800} \text{LDF}(r, \theta), \quad \text{LDF}(800\text{m}, \theta) = 1$$

$\text{LDF}(r)$ – modified AGASA function
 r – core distance in shower plane

Dataset:

- ▶ Data collected by SD from 2008-05-11 to 2009-10-08
- ▶ Geometrical exposure for $\theta \in [\theta_1, \theta_2]$:

$$A_{geom} = 2346 \times (\sin^2 \theta_2 - \sin^2 \theta_1) \text{ km}^2 \text{ sr yr}$$

Cuts for photon search:

- ▶ Number of detectors triggered is 7 or more
- ▶ Shower core distance to array boundary is larger than 1 separation unit (1200 m)
- ▶ $\chi^2/\text{d.o.f.} < 5$

Photon Monte-Carlo set

- ▶ CORSIKA with QGSJET-II, FLUKA and EGS4.
PRESHOWER for geomagnetic field cascading

- ▶ Thinning with weight optimisation ($\varepsilon = 10^{-6}$)

Kobal, Astropart.Phys.15:259-273,2001

- ▶ Dethinning procedure is used

Stokes et al, ICRC'09

- ▶ Detector response is calculated with GEANT sampler

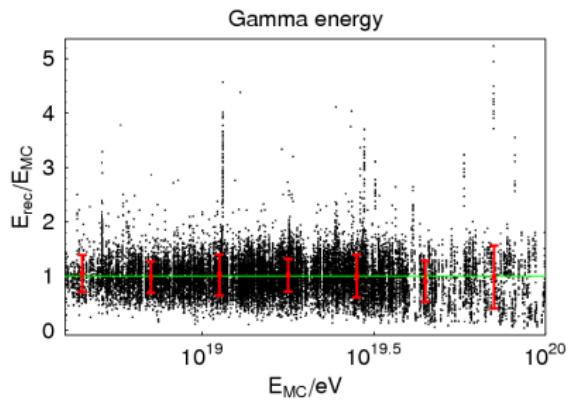
- ▶ $E \in [10^{18.4}, 10^{20.5}] \text{ eV}$, $\theta \in [0^\circ, 60^\circ]$

- ▶ Exactly same cuts applied to data and Monte-Carlo sets

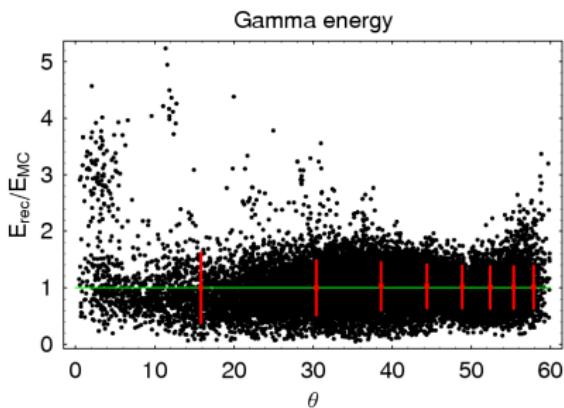
Photon energy reconstruction

- We estimate $E_\gamma(S_{800}, \theta)$ using photon MC
- Plots below made with photon MC (E^{-2} spectrum)

Energy dependence

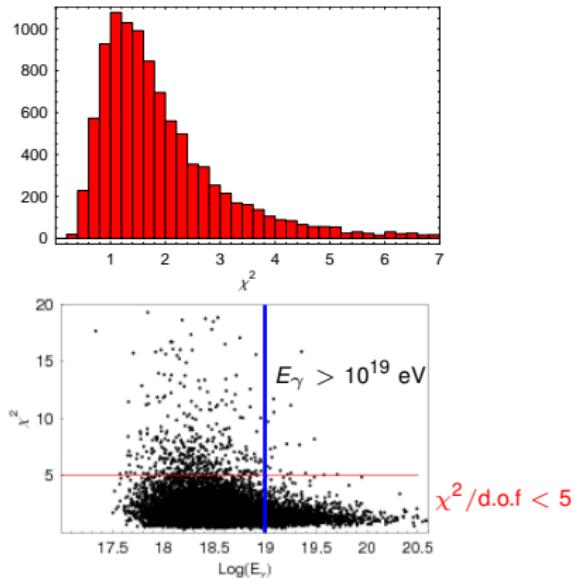


Zenith angle dependence

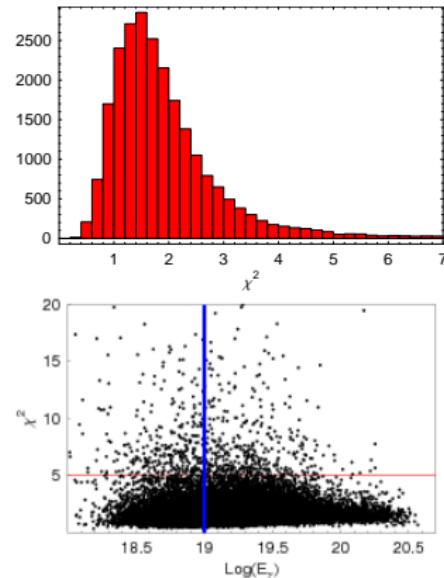


Reconstruction: $\chi^2/\text{d.o.f.}$ cut

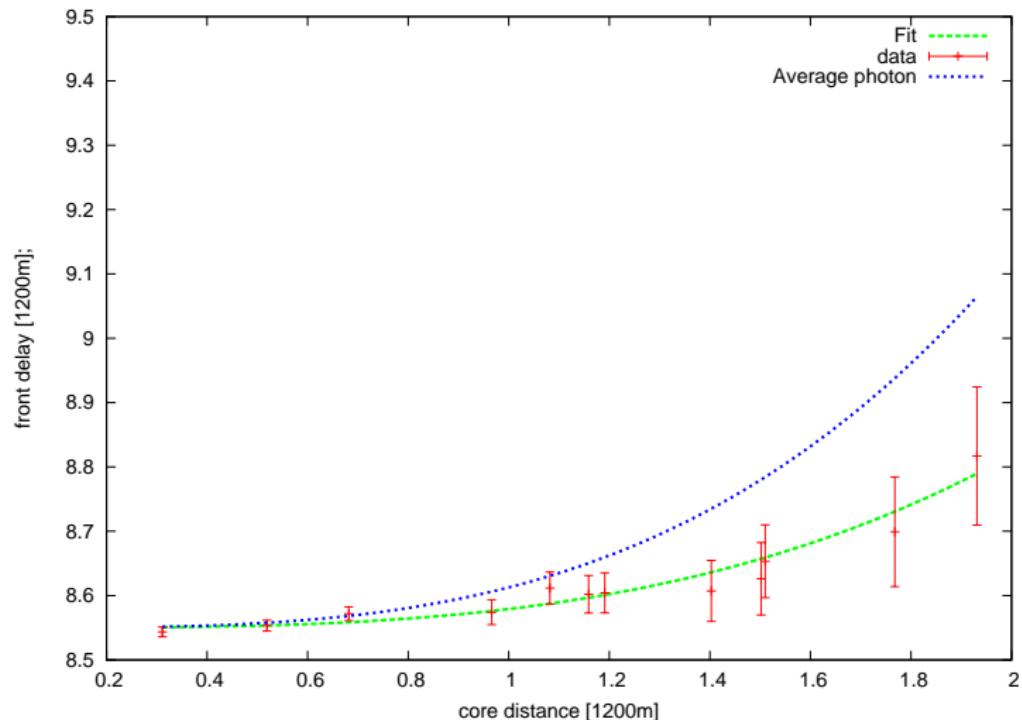
Data



Photon MC ($f \sim E^{-2}$)

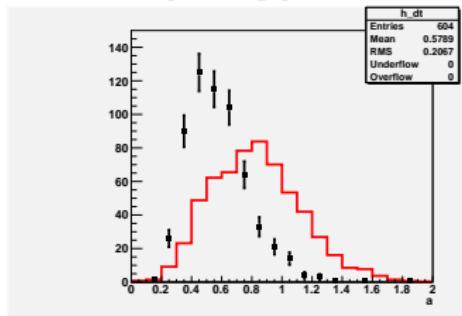


Front curvature example

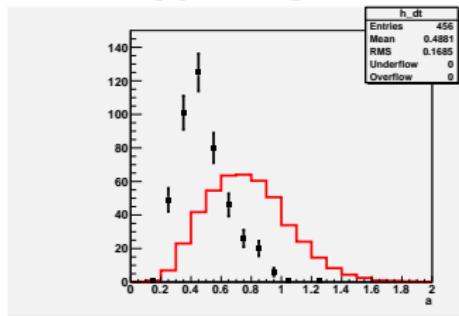


Linsley curvature “a”: data vs photon MC

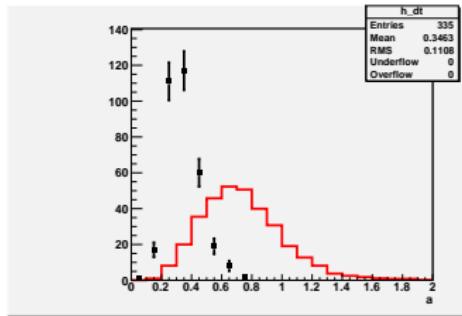
$0^\circ - 30^\circ$



$30^\circ - 45^\circ$



$45^\circ - 60^\circ$



$$E_\gamma > 10^{19} \text{ eV}$$

data
photon MC, E^{-2} spectrum

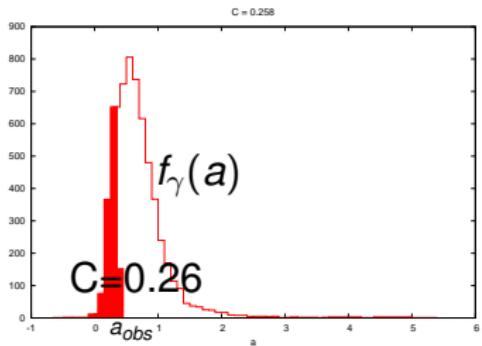
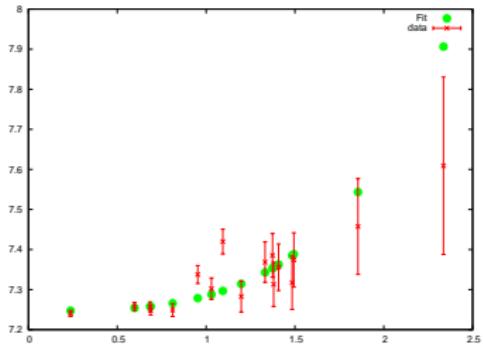
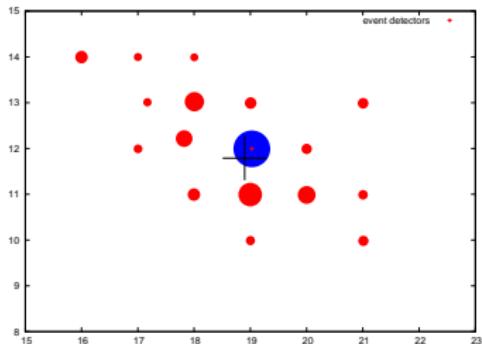
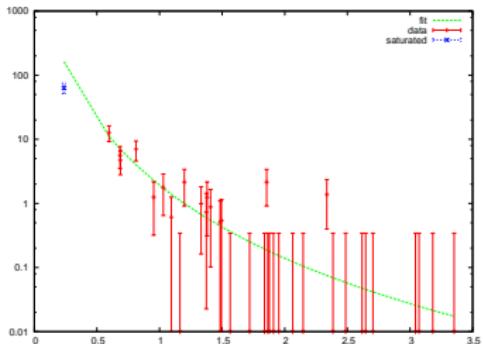
Event-by-event method

- ▶ For each event with curvature a_{obs} we select photon MC events compatible by arrival direction and S_{800} .
- ▶ We calculate curvature distribution function $f_\gamma(a)$ for MC photons
- ▶ Let's define

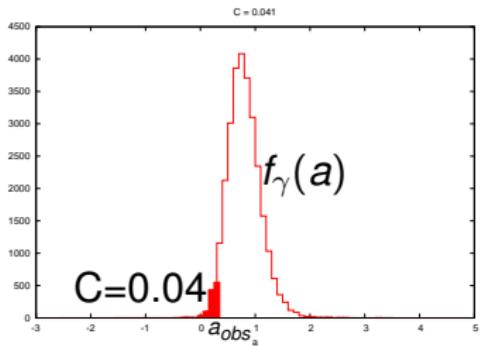
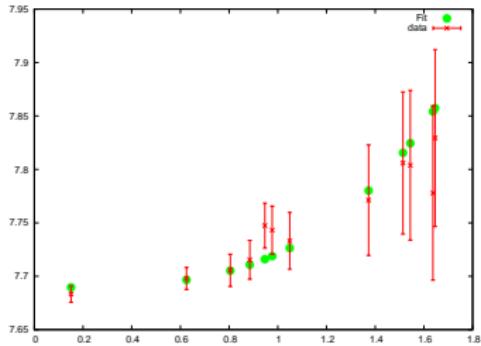
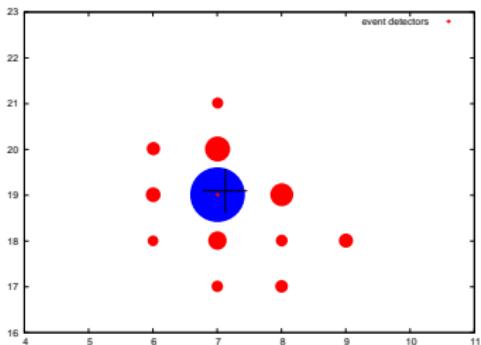
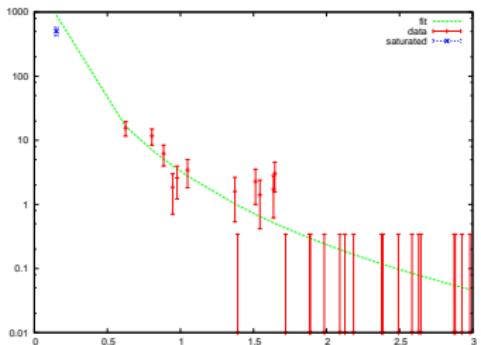
$$\mathcal{C} = \int_{-\infty}^{a_{obs}} f_\gamma(a) da$$

- ▶ \mathcal{C} is defined event-by-event
- ▶ For gamma events, \mathcal{C} is uniformly distributed between 0 and 1 (independently of the photon primary spectrum).

Typical event 1. $\theta = 59.9$, $E_\gamma = 31.71$ EeV, $C=0.258$

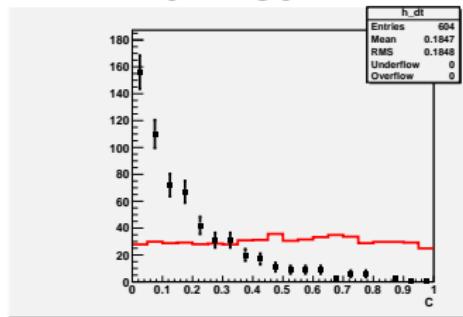


Typical event 2: $\theta = 49.3$, $E_\gamma = 10.63$ EeV, $C=0.041$

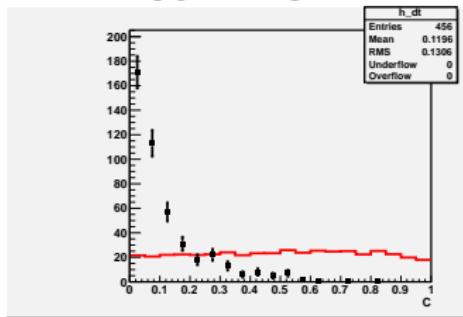


C: data vs photon MC

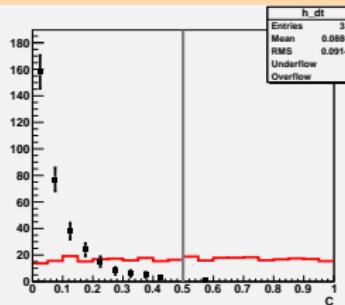
$0^\circ - 30^\circ$



$30^\circ - 45^\circ$



$45^\circ - 60^\circ$



$$E_\gamma > 10^{19} \text{ eV}$$

data
photon MC, E^{-2} spectrum

Calculations

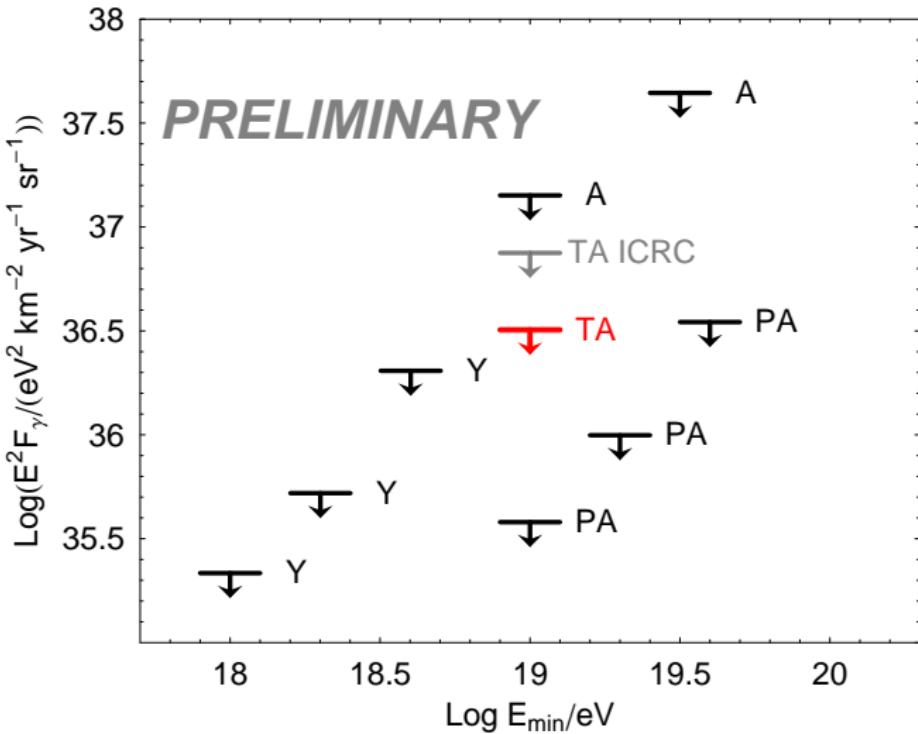
Search region:

- ▶ $E_{gamma} > 10^{19}$ eV 1395 events
- ▶ $45^\circ < \theta < 60^\circ$ 335 events
- ▶ $\mathcal{C} > 0.5$ **1 event**
- ▶ Poisson 95% upper limit: **≤ 5.14 events**

- ▶ Total exposure: $A_{total} = 158 \text{ km}^2 \text{ sr yr}$

- ▶ $F_\gamma < 3.3 \cdot 10^{-2} \text{ km}^{-2} \text{sr}^{-1} \text{yr}^{-1}$ (95% CL) /PRELIMINARY/

Photon flux limits



Exposure calculation with photon MC

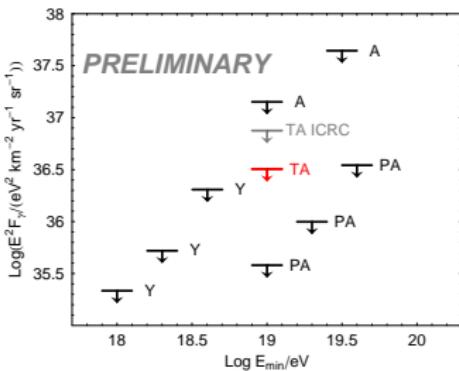
- ▶ We take MC photon set with $E_{mc} > 10^{19}$ eV conservatively assuming E^{-3} spectrum.
- ▶ We calculate the fraction of photons entering the search region.
- ▶ Geometrical exposure $45^\circ < \theta < 60^\circ$:
 $A_{geom} = 587 \text{ km}^2 \text{ sr yr}$ 100%
- ▶ $n_{det} \geq 7$ 71%
- ▶ $\chi^2/\text{d.o.f} < 5$ 69%
- ▶ S_{800} cut 54%
- ▶ $\mathcal{C} > 0.5$ 27%

$$A_{total} = 0.27 \times A_{geom} = 158 \text{ km}^2 \text{ sr yr}$$

Conclusion: TA SD photon limit

- ▶ Event-by-event method is implemented for photon search
- ▶ We present upper limit for photon flux above 10^{19} eV
- ▶ Calculation based only on photon simulations
 ⇒ no hadronic generator uncertainty

$F_\gamma < 3.3 \cdot 10^{-2} \text{ km}^{-2} \text{sr}^{-1} \text{yr}^{-1}$ (95% CL) /PRELIMINARY/



Backup slides

Reconstruction: fit functions

- Joint 7-parametric fit: x_{core} , y_{core} , θ , ϕ , S_{800} , t_0 , a

$$f(r) = \left(\frac{r}{R_m}\right)^{-1.2} \left(1 + \frac{r}{R_m}\right)^{-(\eta-1.2)} \left(1 + \frac{r^2}{R_1^2}\right)^{-0.6}$$

$$LDF(r) = f(r)/f(800 \text{ m})$$

$$S(r) = S_{800} \times LDF(r)$$

$$t_0(r) = t_0 + t_{plane} + a \times 0.67 (1 + r/R_L)^{1.5} LDF(r)^{-0.5}$$

$$R_m = 90.0 \text{ m}, R_1 = 1000 \text{ m}, R_L = 30 \text{ m}$$

$$\eta = \max[3.97 - 1.79(\sec(\theta) - 1), 3.0]$$